

```

>> p=268435019;          >> g_y=mod_exp(g,y,p)      >> Soft='Python 3.7'      >> g_s=mod_exp(g,s,p)
>> g=2;                  g_y = 40914369           Soft = Python 3.7       g_s = 191736342
>> x=int64(randi(p))     >> b_b=mod_exp(b,b,p)     >> h=hd28(Soft)         >> b_b=mod_exp(b,b,p)
x = 234688513            b_b = 322491            h = 157508636          b_b = 322491
>> a=mod_exp(g,x,p)     >> ab_b=mod(a*b_b,p)     >> ksy=int64(randi(p))   >> ab_b=mod(a*b_b,p)
a = 77653678            ab_b = 40914369        ksy = 108371952        ab_b = 40914369
>> t=int64(randi(p))     >> r=mod_exp(g,ksy,p)     >> ab_b_h=mod_exp(ab_b,h,p)
t = 13333507            r = 173850748          ab_b_h = 95351894
>> b=mod_exp(g,t,p)     >> s=mod(ksy+y*h,p-1)    >> rab_b_h=mod(r*ab_b_h,p)
b = 240517601           s = 172249966          rab_b_h = 191736342
>> tb=mod(t*b,p-1)      >> y=mod(x+tb,p-1)
tb = 153859073
>> y=mod(x+tb,p-1)
y = 120112568
    
```

Bit Commitment using RSA modification

```

>> p=int64(268435019)
p = 268435019
    
```

<p>A</p> <pre> >> eA=int64(randi(p)) eA = 124258335 >> gcd(eA,p-1) ans = 1 >> dA=mulinv(eA,p-1) dA = 186613915 >> mod(eA*dA,p-1) ans = 1 </pre>	<pre> >> M=100000 M = 100000 >> c1=mod_exp(M,eA,p) c1 = 227304331 >> c2=mod_exp(c1,eB,p) c2 = 27347937 >> c3=mod_exp(c2,dA,p) c3 = 240597342 >> c4=mod_exp(c3,dB,p) c4 = 100000 </pre>	<p>B</p> <pre> >> eB=int64(randi(p)) eB = 143240865 >> gcd(eB,p-1) ans = 1 >> dB=mulinv(eB,p-1) dB = 206897595 >> mod(eB*dB,p-1) ans = 1 </pre>
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**Subliminal Channel - Steganography
Using Schnorr Signature**

Corrected version

M - masking message to be sign.

n = k - secret message to be sent.

$$N = g^k \text{ mod } p$$

$$h = H(M || N)$$

$$s = k + x \cdot h \text{ mod } (p-1)$$

$$\left. \begin{matrix} M, \sigma = (r, s) \\ \Rightarrow \mathcal{B}: h = H(M || r) \end{matrix} \right\}$$

$$\left. \begin{matrix} V1 = g^s \text{ mod } p \\ V2 = g^{k+xh} = g^k \cdot (g^x)^h = r \cdot a^h \text{ mod } p \end{matrix} \right\} \rightarrow V1 \stackrel{?}{=} V2$$

```

>> p                >> k                >> v1=mod_exp(g,s,p)
p = 268435019      k = 77000          v1 = 181549966
>> g                >> r                >> a_h=mod_exp(a,h,p)
g = 2              r = 136365479    a_h = 146278252
>> x                >> M='My sorrow and tears, Bob' >> v2=mod(r*a_h,p)
x = 164448909      M = My sorrow and tears, Bob v2 = 181549966
>> a=mod_exp(g,x,p) >> cc=concat(M,r)
a = 219396659      cc = My sorrow and tears, Bob136365479
>> h=hd28(cc)
h = 24944974
>> xh=mod(x*h,p-1)
xh = 11605732
>> s=mod(k+xh,p-1)
s = 11682732

```

Value k=n recovery:
 $k = s - x \cdot h \text{ mod } (p-1)$

```

>> k=mod(s-xh,p-1)
k = 77000

```